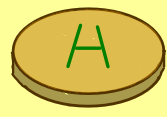




The Bright Side of Mathematics

Probability Theory - Part 4

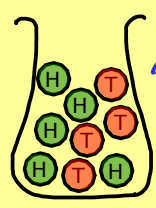


Coin tossing: H, T

Probability for H: $p \in \mathbb{Q} \cap [0, 1]$

$\approx \frac{a}{a+b}$, $a, b \in \{0, 1, 2, \dots\}$

(Fair coin: $p = \frac{1}{2}$)



a times H
b times T

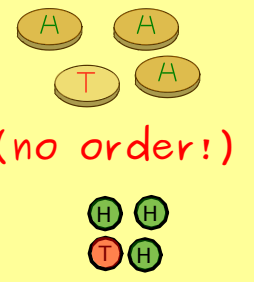
Drawing a ball

Probability for H: $p = \frac{a}{a+b}$

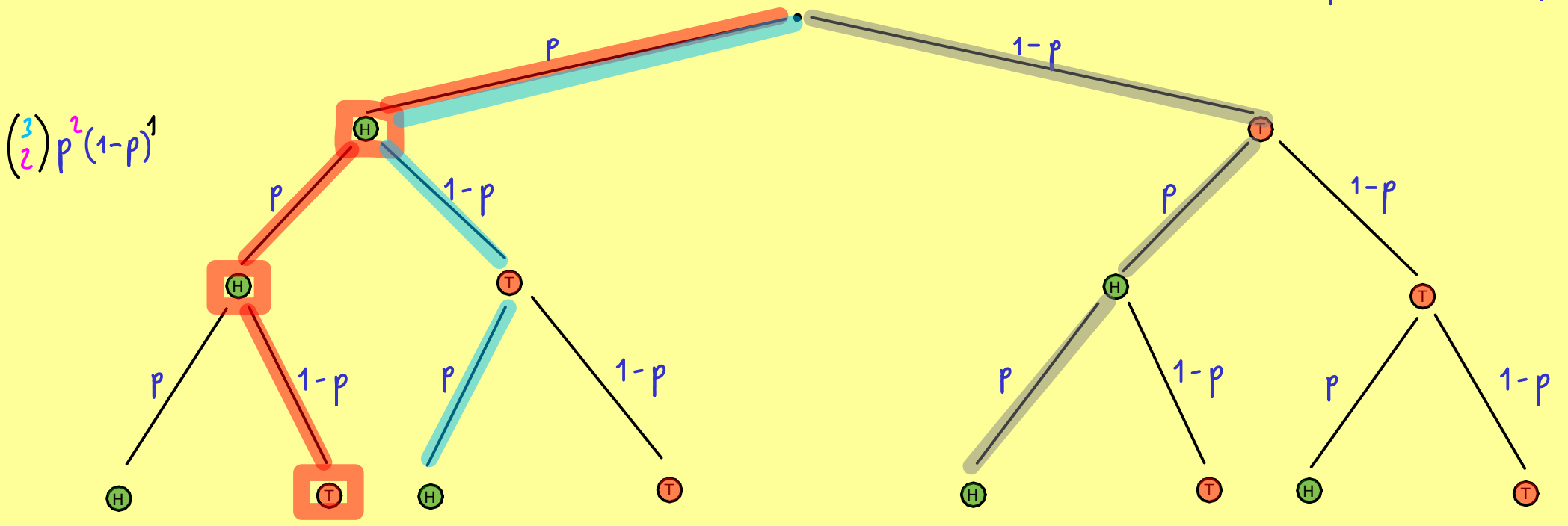
In both cases: $\Omega = \{H, T\}$, $P(\{H\}) = \frac{a}{a+b}$, $P(\{T\}) = \frac{b}{a+b}$
 $\underbrace{\hspace{1cm}}_p$ $\underbrace{\hspace{1cm}}_{1-p}$

Binomial distribution:

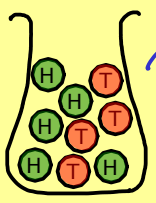
- n tosses of the same coin and counting the heads
- draw n balls with replacement and count the heads
- size n, unordered, with replacement



$\Omega = \{0, 1, 2, \dots, n\}$, $P(\{k\}) = \binom{n}{k} p^k (1-p)^{n-k}$ two parameters (n, p)
 $P = \mathcal{B}(n, p) = \text{Bin}(n, p)$



In R:



a times H
b times T